## Correlation chart for AP Precalculus LO 1.1.A Varying together (analytic)

College Board AP Precalculus LO and EK codes are found in the Course and Exam Description available at https://apcentral.collegeboard.org/courses/ap-precalculus/course OpenStax Precalculus 2 e is a free textbook at https://openstax.org/details/books/precalculus-2e
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| Example | Requirement | Title | Reward | Correlation |
| :---: | :---: | :---: | :---: | :---: |
| $x$ $y$ <br> 3 -1 <br> 5 -4 <br> 6 0 <br> 7 3 <br> 7 25 | $\square$ Set $R$ is a set of ordered pairs $\left\{\left(x_{1}, y_{1}\right),\left(x_{2}, y_{2}\right),\left(x_{3}, y_{3}\right) \ldots\right\}$ Set $X=\left\{x_{1}, x_{2}, x_{3}, \ldots\right\}$ (OK to omit repeats) Variable $x$ takes, one at a time, the values in set $X$ Set $Y=\left\{y_{1}, y_{2}, y_{3}, \ldots\right\}$ (OK to omit repeats) Variable $y$ takes, one at a time, the values in set $Y$ | Definitions of relation, input value, independent variable, output value, dependent variable, domain, and range | Set $R$ is a relation that associates input values of independent variable $x$ with output values of dependent variable $y$. Set $X$ of all input values is the domain of the relation, and set $Y$ of all output values is the range of the relation. | AP Precalculus EK <br> 1.1.A. 1 is written such that this content seems to be assumed prior knowledge. <br> OpenStax <br> Precalculus 2e 1.1 <br> (HW not assigned) |
|  | Set $F$ is a set of ordered pairs $\left\{\left(x_{1}, y_{1}\right),\left(x_{2}, y_{2}\right),\left(x_{3}, y_{3}\right) \ldots\right\}$ If there are any repeated values among $x_{1}, x_{2}, x_{3}, \ldots$, the associated values among $y_{1}, y_{2}, y_{3}, \ldots$ $x_{1}$, are also repeats. Set $X=\left\{x_{1}, x_{2}, x_{3}, \ldots\right\}$ (OK to omit repeats) Variable $x$ takes, one at a time, the values in set $X$ Set $Y=\left\{y_{1}, y_{2}, y_{3}, \ldots\right\}$ (OK to omit repeats) Variable $y$ takes, one at a time, the values in set $Y$ | Definitions of function, input value, independent variable, output value, dependent variable, domain, and range | Set $F$ is a function that maps input values of the independent variable $x$ to corresponding output values of the dependent variable $y$. Set $X$ of all input values is the domain of the function, and set $Y$ of all output values is the range of the function. <br> (The usual translation of the condition that "If there are any repeated values among $x_{1}, x_{2}, x_{3}, \ldots$ the associated values among $y_{1}, y_{2}, y_{3}, \ldots$ are also repeats" is that each input value is mapped to exactly one output value). | AP Precalculus EK 1.1.A. 1 <br> OpenStax <br> Precalculus 2e <br> 1.1 Exercises \# 1, <br> 2; 6, 7; 8-26; 60, <br> 61, 62; 63, 64, 65; <br> 76, 77, 78; 79, 80, <br> 81; 82, 83, 84; 85, 86, 87 <br> 1.2 Exercises \# 7- <br> 25 (odds); 27-37 <br> (odds); 57, 59; 61 |
|  | Have function $F$ mapping input values of independent variable $x$ to corresponding output values of dependent variable $y$ <br> $I$ stands for the idea that changing the input value of the independent variable $x$ can change the associated output value of the dependent variable $y$ in a corresponding way. | Style convention for AP Precalculus EK <br> 1.1.A.2 ( $1^{\text {st }}$ clause) | Idea $I$ is expressed by writing, "The input values and output values of function $F$ change in tandem according to the rule for function $F$." | AP Precalculus EK <br> 1.1.A. 2 <br> Independent (first) clause |

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|  | $\square$ Have function $f$ mapping input values of independent variable $x$ to corresponding output values of dependent variable $y$ | Style convention for AP Precalculus EK 1.1.A. 2 ( $2^{\text {nd }}$ clause) | The function rule for function $f$ can be expressed in the following ways: | AP Precalculus EK <br> 1.1.A. 2 Dependent (second) clause <br> OpenStax <br> Precalculus 2e <br> 1.1 Exercises \# 27- <br> 31; 32, 33; 34-38; <br> 39; 52, 53, 54; 66; <br> 67; 68-73; 74, 75; <br> 88, 89, 90, 91 <br> 1.4 Exercises \# 5, <br> 7, 9 |
|  |  |  | 1. Graphically - plot points with ordered pairs of form $(x, y)$ where values of $x$ are represented along the horizontal axis and values of $y$ are represented along the vertical axis. |  |
| $x$ 1 2 3 |  |  |  |  |
| $\begin{array}{l\|l\|l\|l} y & 2 & 4 & 6 \end{array}$ |  |  | 2. Numerically - written as a table or list of ordered pairs of input and output values |  |
| $\{(1,2),(2,4),(3,6)\}$ |  |  |  |  |
| $y=f(x)=2 x, x \in\{1,2,3\}$ |  |  | 3. Analytically - written as an algebraically notated equation in the variables $x$ and $y$ in the format $y=f(x)$ where $f(x)$ stands for an algebraic expression in terms of $x$ into which a particular input value of $x$ can be substituted to yield the corresponding particular output value of $y$ |  |
| "The input values are 1, 2, and 3, and the corresponding output values are obtained by doubling the input values." |  |  | 4. Verbally - as written sentence(s) describing how the independent variable is related to the dependent variable |  |

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|  | Have function $f$ mapping input values of independent variable $x$ to corresponding output values of dependent variable $y$ $I$ stands for an interval of $x$-values in the domain of function $f$ Considering all pairs of $x$-values $a$ and $b$ such that $a, b \in I$ with $a<b$ guarantees that $f(a)<f(b)$ | Definition of increasing function $\rightarrow$ | Function $f$ is increasing over the interval $I$ | AP Precalculus EK <br> 1.1.A. 3 <br> OpenStax <br> Precalculus 2e <br> 1.3 (see next row) |
|  | Have function $f$ mapping input values of independent variable $x$ to corresponding output values of dependent variable $y$ $I$ stands for an interval of $x$-values in the domain of function $f$ Considering all pairs of $x$-values $a$ and $b$ such that $a, b \in I$ with $a<b$ guarantees that $f(a)>f(b)$ | Definition of decreasing function | Function $f$ is decreasing over the interval $I$ | AP Precalculus EK <br> 1.1.A. 4 <br> OpenStax <br> Precalculus 2e <br> 1.3 Exercises \# 19, <br> 21 |

